# METAPHOR Machine learning Tool for Accurate PHOtometric Redshifts V. Amaro<sup>1</sup>, S. Cavuoti<sup>2</sup>

M. Brescia<sup>2</sup>, C. Vellucci<sup>1</sup>, G. Longo<sup>1</sup>

1 - University of Napoli Federico II, Naples

2 - INAF- Astronomical Observatory of Capodimonte, Naples



### 1. The METAPHOR structure and workflow

#### 1. Testing METAPHOR on SDSS-DR9 data

- a. General applicability (tested on 3 interpolative methods MLPQNA, KNN and RF)
- b. Comparison with one SED template fitting (LePhare method) just as benchmark
- 1. Deriving PDF's and evaluation of the performance
- 1. Preliminary testing on ESO KiDS public DR2

# Photo-z PDFs for Machine Learning are still an open issue

- A reliable PDF should be able to:
- 1) evaluate photometric error distributions;
- 2) assess the correlation between spectroscopic and photometric Errors;
- 3) disentangle photometric uncertainties from those intrinsic to the method itself.

Many PDF methods for ML developed over the past years, mostly based on:

- Supervised methods (ANN, RF, MLP, used both as regressors and classifiers)
- Unsupervised methods (SOMs, random atlas)

Rau et al. 2015, MNRAS, 452 Carrasco & Brunner 2013, MNRAS, 432 Carrasco & Brunner 2013, MNRAS, 438 Carrasco & Brunner 2013, MNRAS, 442 Bonnet 2013, MNRAS, 449 Sadeh et al. 2015, arXiv:1507.00490 Speagle et al. 2015, arXiv:1510.08073

# **METAPHOR workflow**



### **METAPHOR**



# **PDF estimation algorithm**

After one training on the not perturbed training set and having produced N perturbations of the blind test set:

Submit to the network, N+1 test sets (N perturbed + original one) thus obtaining N+1 estimates of photo-z's;

Binning in photo-z (according to the chosen precision). Let us call "B" the bin;

Calculate the number of photo-z's for each bin: said it C, then calculate the relative probability as P:

 $C_{B,i} \in [Z_i, Z_{i+B}]$   $P(Z_i \le Photo-z \le Z_{i+B}) = C_{B,i}/(N+1)$ 

Calculate statistics for the resulting PDFs (the set of all probabilities

obtained at the provieus step)

# **PDF estimation algorithm scheme**



# The photometry perturbation procedure

#### The **perturbation procedure** consists of two steps:

**Photometry error estimation**: for which the basic idea is that a binning of photometric bands in which a polynomial fitting of the mean error values should be able to reproduce the intrinsic trend of the inner distribution

Issue: right choice of the bin amplitude in order to minimize the risk of information losses (aliasing, masking), somehow overcome by:

**Photometry perturbation**:

Variable Gaussian noise added to photometry, weighted by the polynomial fit;

Parametrization of the method through the use of a different multiplicative constant for each band in order to ensure *flexibility* ( different choice of bands and catalogues, different quality of photometry).

# **Photometry error estimation**

- Polynomial fitting **<u>steps</u>**:
  - 1. Binning the chosen band;
  - 2. Extract statistical errors ( $\mu$ ,  $\sigma$ ) from each bin;
  - 3. Perform polynomial fitting with specified order;
  - 4. Compare the fit to  $\sigma$  distributions to verify that for each bin the fitting error tolerance is within  $1\sigma$ : generation of a boolean flag (True in the case that all the bins fulfill this condition; False otherwise);

5. If the quality flag is set to False, then increase the polynomial degree and

an to stop /

# The first METAPHOR test data (SDSS DR9)

We used a sample of the SDSS-DR9 spectroscopic catalogue, prepared as follows:

Objects classified as galaxies with the specClass flag "galaxy";

*psfMag* type magnitudes and relative errors;

Removed missing detections in any of the five SDSS photometric bands (NaN entries);

Selected objects with PhotoFlags ≠ 0 ( thus removing objects that could not be real, or with suspicious deblending or with photometry affected by cosmic rays or bleed trails);

**Theronal Ras beiete studice 59:009 training and claggifled/test solving variety of scientific cases** Used features: 5 mags: u, g, r, i, z and 4 derived colours Brescia et al. (2012, MNRAS, 421; 2013, ApJ, 772; 2014, PASP, 126)

Cavuoti et al. (2012, A&A, 546; 2014, MNRAS, 437; 2014, IAU Symposium, Vol. 306; 2015, MNRAS, 452; 2015, Exp. Astronomy, Springer, Vol.39; 2016, A Cooperative approach among methods for photometric redshifts estimation: an application to KiDS data. Submitted to MNRAS);

#### In the case of SDSS-DR9 data we already produced a photo-z catalogue for ~143 million galaxies

Brescia et al., 2014, A&A, 568 + VizieR On-line Data Catalog:J/A+A/568/A126

Band	lower limit	upper limit
u	17.0	26.8
g	16.0	24.9
r	15.4	22.9
i	15.0	23.3
z	14.5	23.0

# **Photometry perturbation examples (for SDSS DR9)**





m<sub>ij</sub><sup>\*</sup>=m<sub>ij</sub>+a<sub>i</sub>f<sub>i</sub>(m<sub>ij</sub>)\*gaussRandom<sub>[-1,1]</sub>



# **Results for photo-z's and stacked PDF**

Statistics for the residuals  $\Delta z = (z_{spec} - z_{phot})/(1 + z_{spec})$ : Comparing MLPQNA to KNN, RF and *Le Phare* 

Estimator	MLPQNA	KNN	RF	Le Phare	Estimator	MLPQNA	KNN	RF	Le Phare
bias	0.0063	0.0029	0.0035	0.0009	$f_{0.05}$	92.5%	92.0%	92.1%	71.2%
$\sigma$	0.024	0.026	0.025	0.060	$f_{0.15}$	99.7%	99.8%	99.7%	99.1%
$\sigma_{68}$	0.020	0.020	0.019	0.035	$\langle \Delta z \rangle$	-0.0014	-0.0018	-0.0016	0.0131
NMAD	0.017	0.018	0.018	0.030					
skewness	0.075	0.330	0.015	-18.076					
outliers > 0.15	0.12%	0.15%	0.15%	0.69%					

- Statistics of interpolative methods are comparable;
- Le Phare skewness is ~200 times more asymmetric;
- On the  $f_{0.05}$  for stacked PDFs, interpolative methods reach best performance.

### **Individual PDFs: some examples**



# **MLPQNA vs RF**



# **MLPQNA vs KNN**





1.0

0.9

0.8

0.7

0.6

tough 0.5

0.4

0.3

0.2

0.1

0

0

# **MLPQNA vs Le Phare**







# Stacked PDFs vs z<sub>spec</sub> distributions





# **METAPHOR in Euclid OU-PHZ Data Challenge #2**

METAPHOR and MLPQNA are used within the Organization Unit for photo-z's in the ESA Euclid Mission. Several internal contests are under development, whose goal is to select the most suitable methods to derive official photo-z PDFs for top and legacy science.

2 catalogues used (based on zCosmos and simulations) by splitting one field on RA:

- A calibration catalogue, without RA and DEC, but with spectroscopy (training set) and photometry;
- A verification catalogue, without zspec's but with RA, DEC and photometry.
- Data pre-processing on the training set:
  - Reliable zspec's based on provided quality flags (Salvato+2016 in prep.);
  - Corrected magnitudes (depths within 5σ; Mag err < 1);
  - Application of some photometric prescriptions;
  - 8 optical/NIR photo-bands available: g, r, i, z, VIS, Y, J, H;
  - Features used: 17 = 8 bands + 9 colours, i.e. g-r, r-I, i-z, z-Y, Y-J, J-H, VIS-Y, VIS-J, VIS-H;

#### The final KB consisted of 8,234 training and 3,535 blind test set objects (random split 70% / 30%) Euclid requirements: $f0.05 \ge 68\%$ , $f0.15 \ge 90\%$ , $<\Delta z > = 0.002$

### **EDC2 results with METAPHOR**



#### Courtesy J. Coupon and EUCLID OU-PHZ Team



### METAPHOR in the ESO KiDS 40 public data (DR2) 40 4000 6000 8000 $\lambda$ [Å]

KiDS DR2 (*de Jong et al. 2015*), *griz* photometry with SDSS and GAMA spectra as KB excluded objects with low photometric quality (i.e. with flux error > 1 magnitude); removed objects having at least one missing band selected objects with zero IMA-FLAGS in the g, r and i bands (i.e. sources flagged as located in proximity of saturated pixels, star haloes, image border or reflections, or within noisy areas). The u band was not considered in such selection since its masked regions are less extended than in the other three KiDS bands.

### The final KB consisted of 15,180 training and 10,067 blind test objects

In the case of KiDS-DR2 data we already produced a photo-z catalogue for ~1 million galaxies Cavuoti, S., Brescia, M., Tortora, C., et al., 2015, MNRAS, 452

# KiDS results with METAPHOR

Estimator	MLPQNA
mean	-0.0007
sigma	0.026
sigma68	0.018
NMAD	0.018
outliers > 0.13	5  0.31%
Estimator	MLPQNA
$f_{0.05}$ $f_{0.15}$ $\langle \Delta z \rangle$	81.3% 98.4% -0.0084



### **Conclusions**

METAPHOR can be applied with any empirical photo-z estimation model. It is able to take into account photometric errors due to both measurements and method itself;

It is one of the candidate tools for the production of photo-z PDFs within the OU-PHZ of the ESA Euclid Mission, where not yet public data challenges are still in progress. Results of last challenge internally circulated 3 days ago, confirming promising performance of METAPHOR;

Highlights:

Empirical methods perform very well in f<sub>0.05</sub> and in PDF symmetry;

The stacked distributions of ML PDFs are almost indistinguishable from the distribution of spectroscopic redshifts:

# MLPQNA - Multi Layer Perceptron + Quasi Newton



- Multi Layer Perceptron with feed-forward trained by Quasi Newton Learning rule
- It allows to find the stationary points of a function by approximating the Hessian matrix of the training error through a cyclic gradient calculation

Brescia et al., 2013, ApJ, 772, 140; 2014, PASP, 126, 942

### **Random forest**

Supervised method able to learn by creating a <u>random forest</u> (bootstrap, replica with replacement of objs of the train set) of <u>decision trees</u> (classifiers or regressors);

The split in branches of the original node, encompassing all the training set, proceeds recursively along the feature that maximize the information about the classes

quared errors (regressors).

- The splitting proceeds until a terminal leaf node is created, matching an a priori defined stopping criterion;
- The objects in the terminal nodes are thus characterized by having same data properties;
- The photo-z estimation is the mean of all the bootstrapped replica of the objs in the terminal leaves.

Breiman, 2001

# **K-Nearest Neighbours**

• Given the N neighbors in the training set, for each obj of the test set the photo-z estimation is obtained by the mean of the N neighbors targets

• The neighborhood is the Euclidean distance among the features of the parameter space



# Le Phare SED Template Fitting

Observed magnitudes are matched with those observed by a set of SED models; SED templates are red-shifted in step of  $\Delta z$  (e.g. 0.01) and convolved with the filter transmission curves;

At the end the photo-z's are found, by minimizing the chi-squared:

$$\chi^{2}(z,T,A) = \sum_{i=1}^{N_{f}} \left( \frac{F_{obs}^{f} - A \times F_{pred}^{f}(z,T)}{\sigma_{obs}^{f}} \right)^{2}$$

varying the three free parameters z (redshift), T (spectral type), A (normalization factor).

Arnouts et al. 1999